

SC *SOLUTIONS*

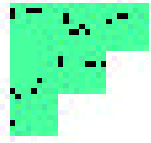
# Model-based Control of MOCVD Rate, Uniformity and Stoichiometry

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Santa Clara, CA 95054

Process Control, Diagnostics, and Modeling in Semiconductor  
Manufacturing III

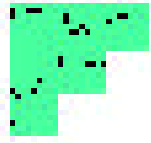
195<sup>th</sup> Meeting of the Electrochemical Society,  
Seattle, Washington, May 3, 1999



# Acknowledgements

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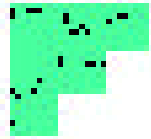
- Work funded by DARPA, administered by ONR
- Project partners: MIT, Princeton
- Several very useful discussions with Dr. L. Raja of Colorado School of Mines



# Contents

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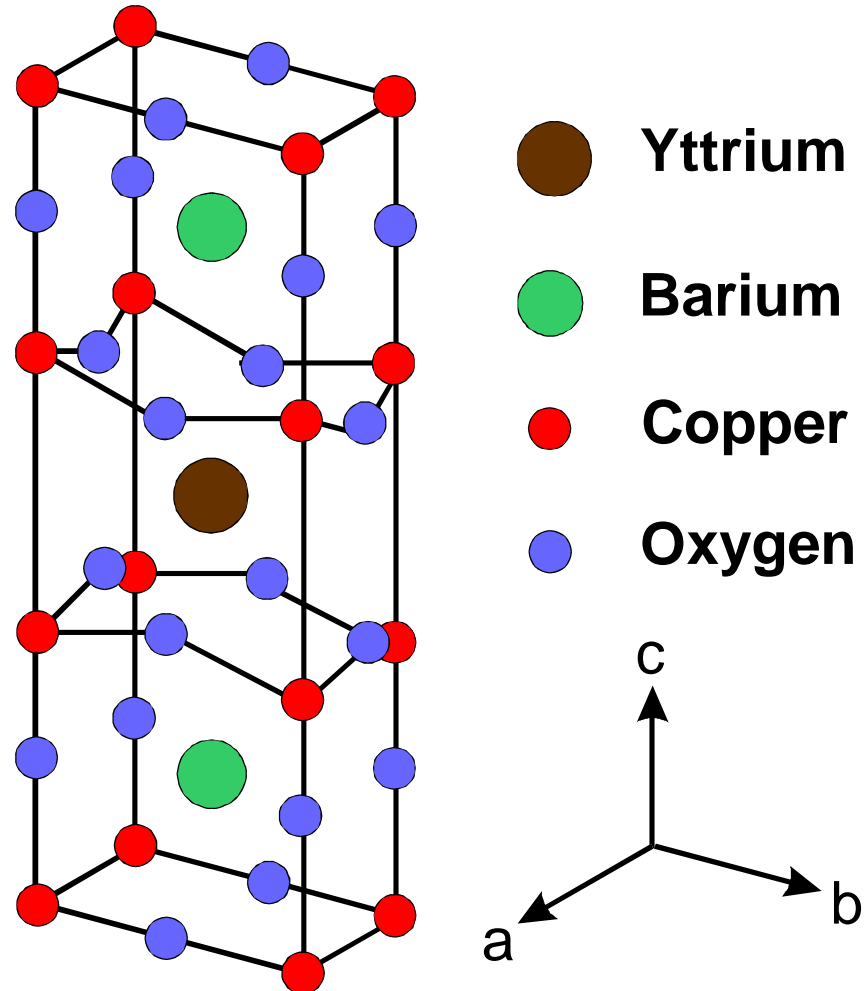
- MOCVD of YBC High Temperature Superconductors
- Reactor Model
- Run-to-run Control
- Summary

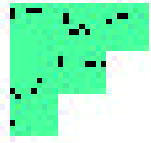


# YBCO Thin Films

Fully oxygenated orthorhombic unit cell of  $\text{YBa}_2\text{Cu}_3\text{O}_7$ . At room temperature the lattice parameters are:  $a=3.819\text{\AA}$ ,  $b=3.883\text{\AA}$ ,  $c=11.687\text{\AA}$

Superconducting at temperatures as high as 93K

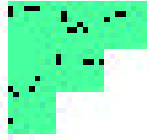




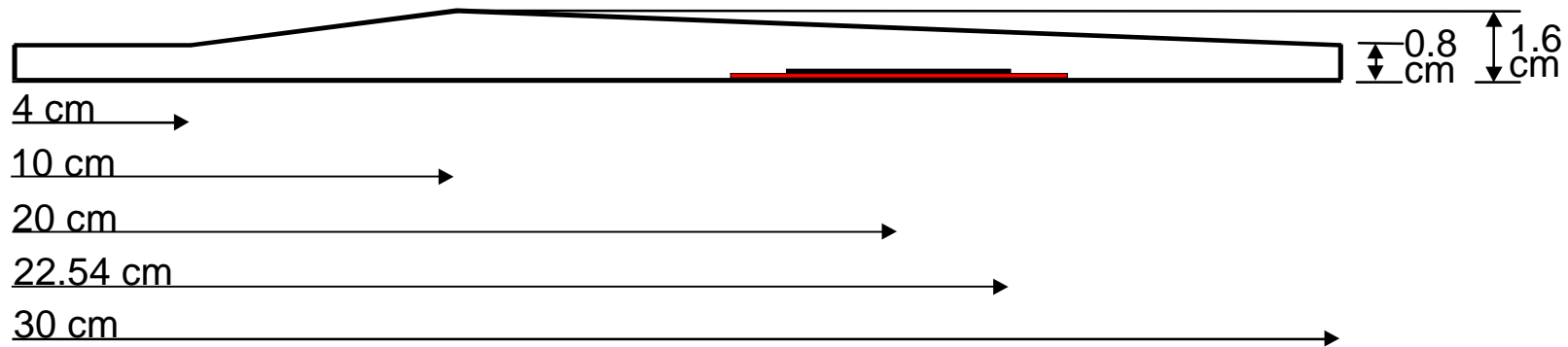
# MOCVD of YBCO Thin Films

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- CVD is preferable to PVD larger surfaces areas. For microwave applications (resonators, filters, antenna), a few hundred nm thick films need to be deposited on insulating substrates of diameter of at least 10 cm.
- An early challenge was finding suitable precursors for the metals. Currently,  $\beta$ -diketones (general formula:  $\text{RCOCH}_2\text{COR}'$ ) is almost exclusively used. The ones considered here is denoted by thd (or dpm) with  $\text{R}=\text{R}'=\text{C}(\text{CH}_3)_3$ . They are vaporized at temperatures between 100-250°C, with vapor pressure between 0.01-1 Torr.



# MOCVD of YBCO Thin Films



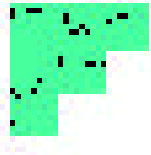
Schematic of a Thomas Swan MOCVD reactor

Steady-state operating conditions:

Gas mixture enters reactor at 10 Torr with mean velocity of 2 m/s and temperature of 240°C. The inlet mole fractions are:

$O_2 = 0.44$ ,  $N_2 = 0.47$ ,  $Ar = 0.088$ ,  $Y(dpm)_3 = 2.72 \times 10^{-5}$ ,

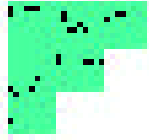
$Ba(dpm)_2 = 4.41 \times 10^{-5}$ ,  $Cu(dpm)_2 = 2.35 \times 10^{-5}$ . Walls at 800°C.



# MOCVD of YBCO Thin Films

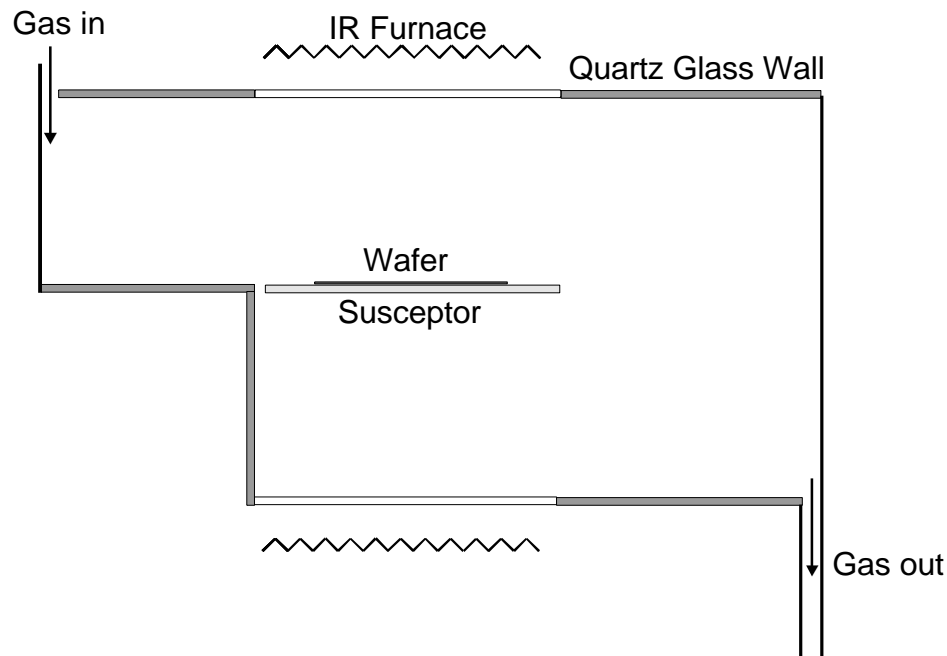
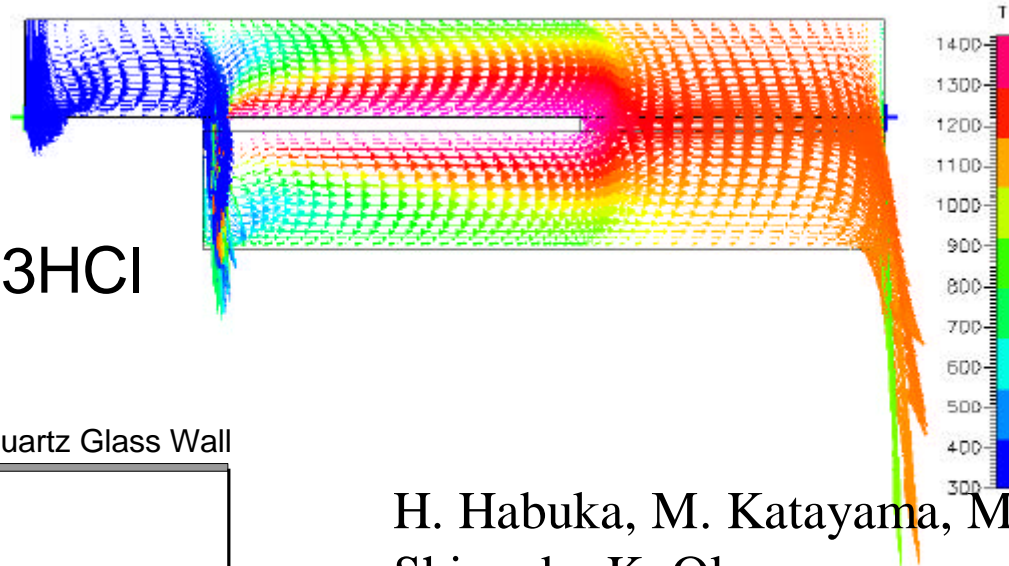
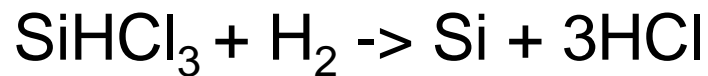
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- Detailed process chemistry (gas phase and surface kinetics) is not known very well.
- Precursor decomposition, and oxide formation is currently being studied using quantum-mechanical (DFT) calculations as part of this project.
- Meantime, we are using a simplified kinetic mechanism consisting of mostly first-order finite-rate reactions for precursor decomposition, followed by very fast oxide formation. The oxides then diffuse the substrate, with surface kinetics modeled using sticking coefficients.
- CVD model developed using CFDRC's CFD-ACE<sup>®</sup> software



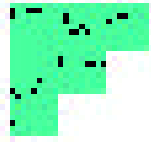
# CVD Validation Study

Silicon Epitaxy:



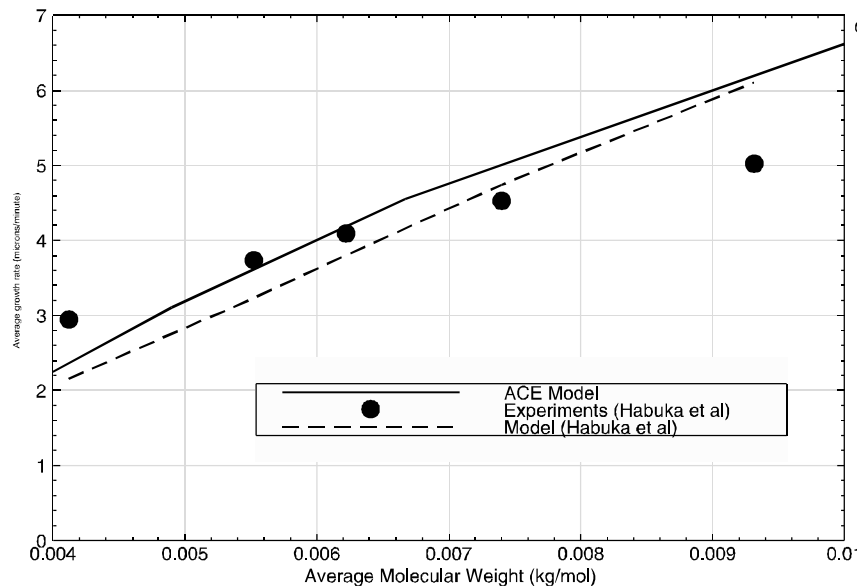
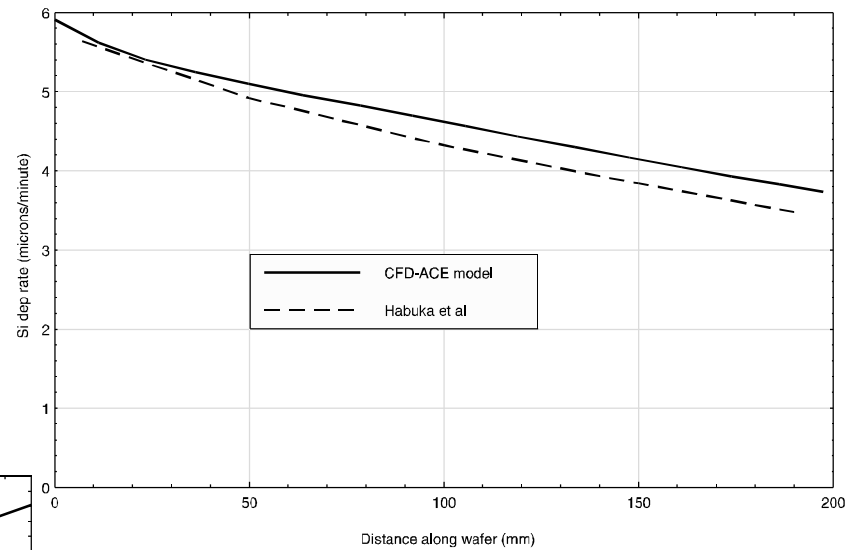
H. Habuka, M. Katayama, M. Shimada, K. Okuyama,  
“Numerical Evaluation of Silicon Thin Growth from  $\text{SiHCl}_3\text{-H}_2$  Gas Mixture in a Horizontal Chemical Vapor Deposition Reactor,” *Jpn. J. Appl. Phys.*, 1994. **33**: p.1977-1985



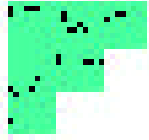


# CVD Validation Study: Si Epitaxy

Model used temperature-dependent properties, Soret diffusion, multi-component Stefan-Maxwell diffusion

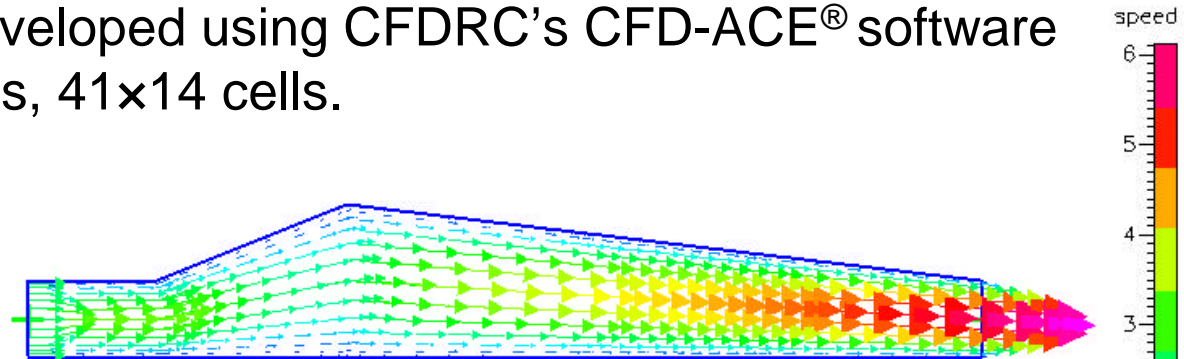


Comparison with Habuka's results for epitaxial CVD deposition show dep rates within 6% of Habuka *et al*

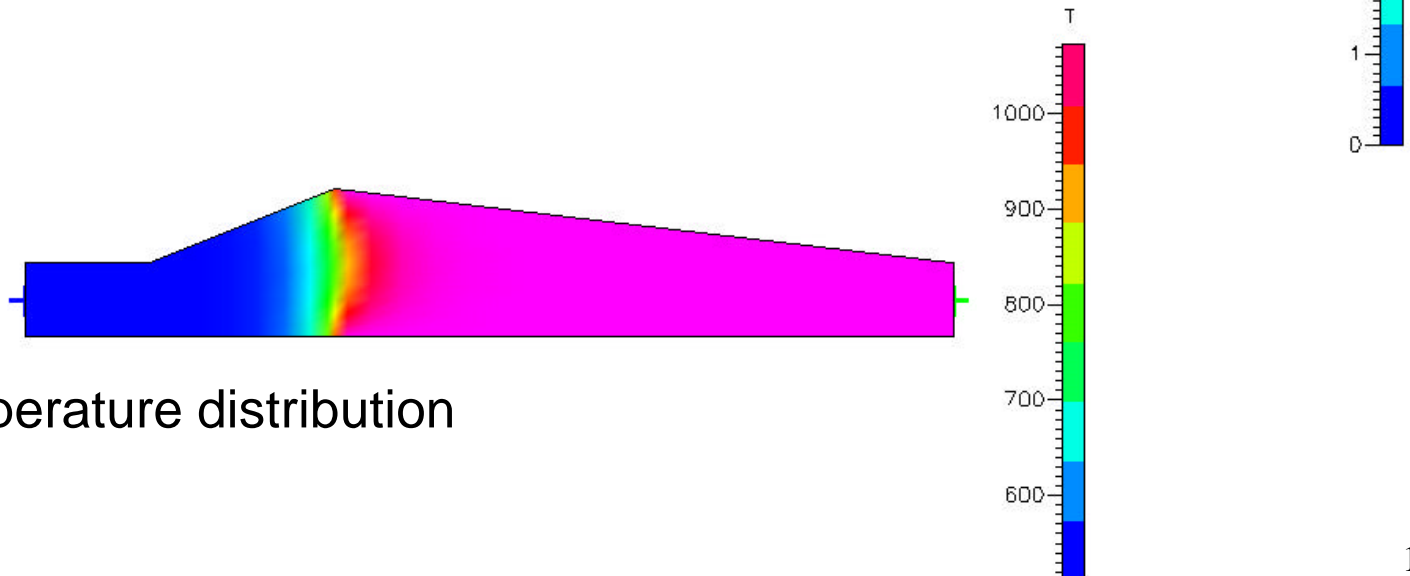


# MOCVD of YBCO Thin Films

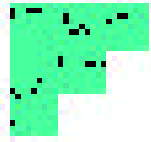
CVD model developed using CFDRC's CFD-ACE® software  
Structured grids, 41x14 cells.



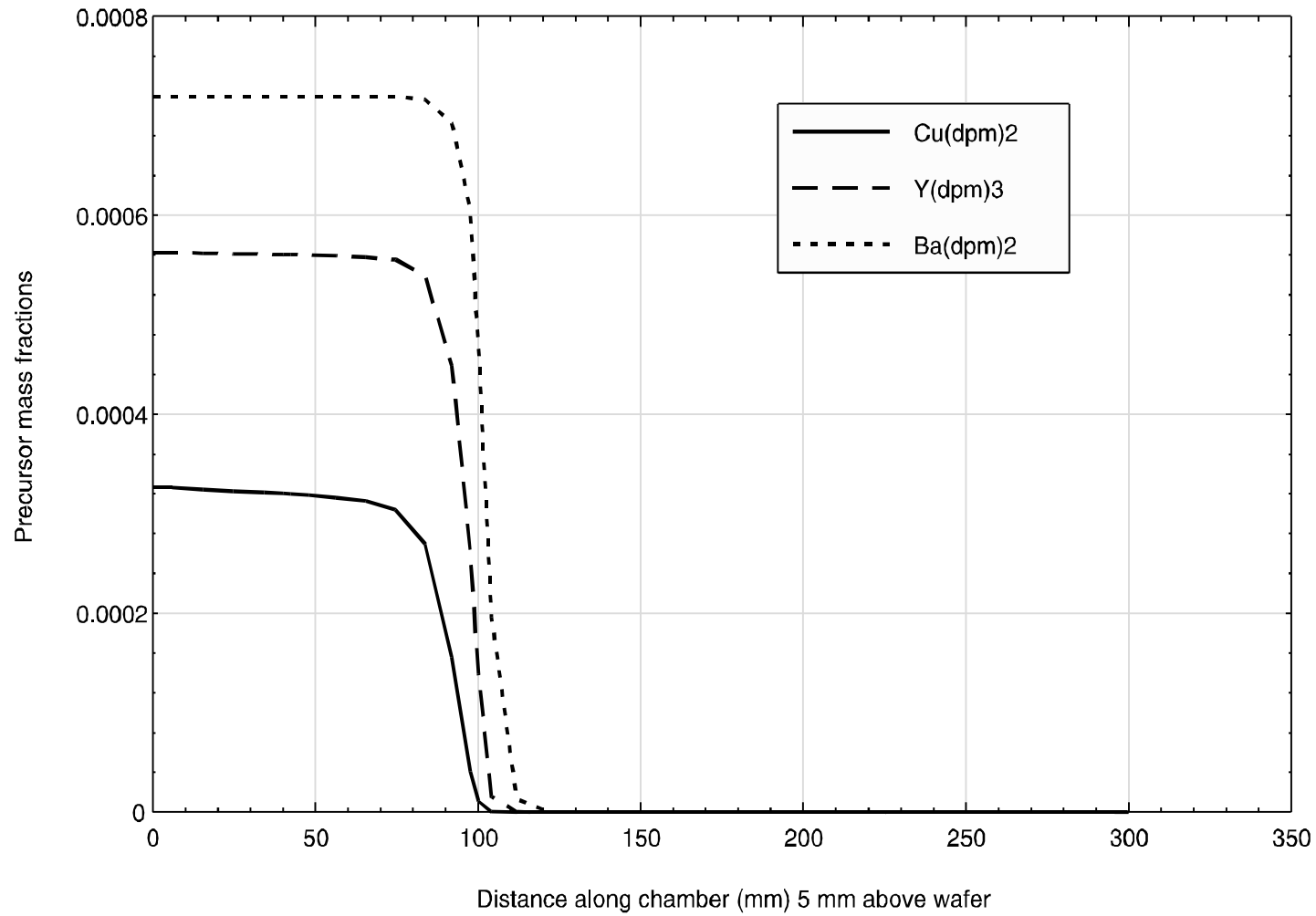
Velocities in reactor

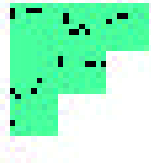


Temperature distribution

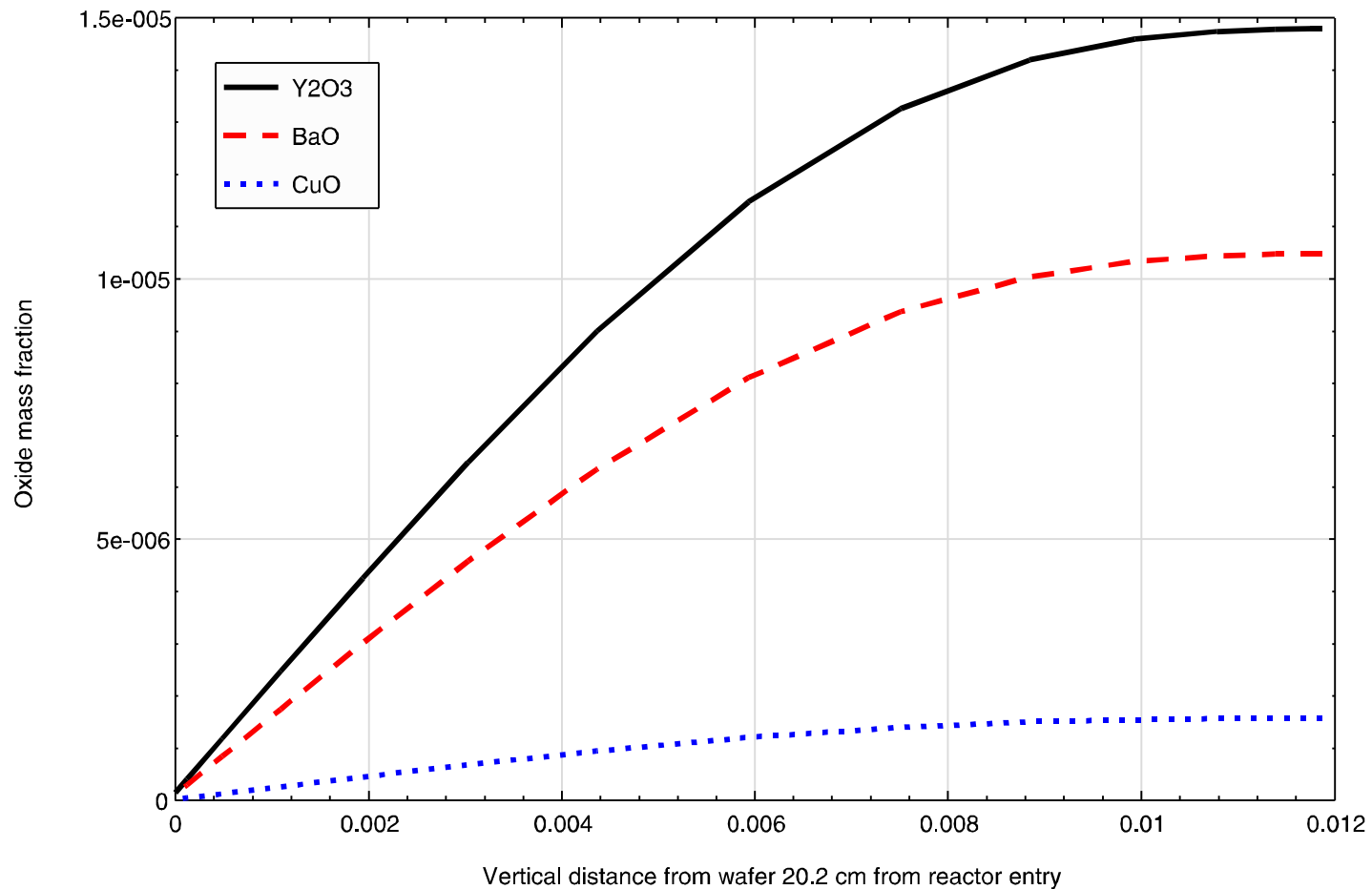


# MOCVD of YBCO Thin Films





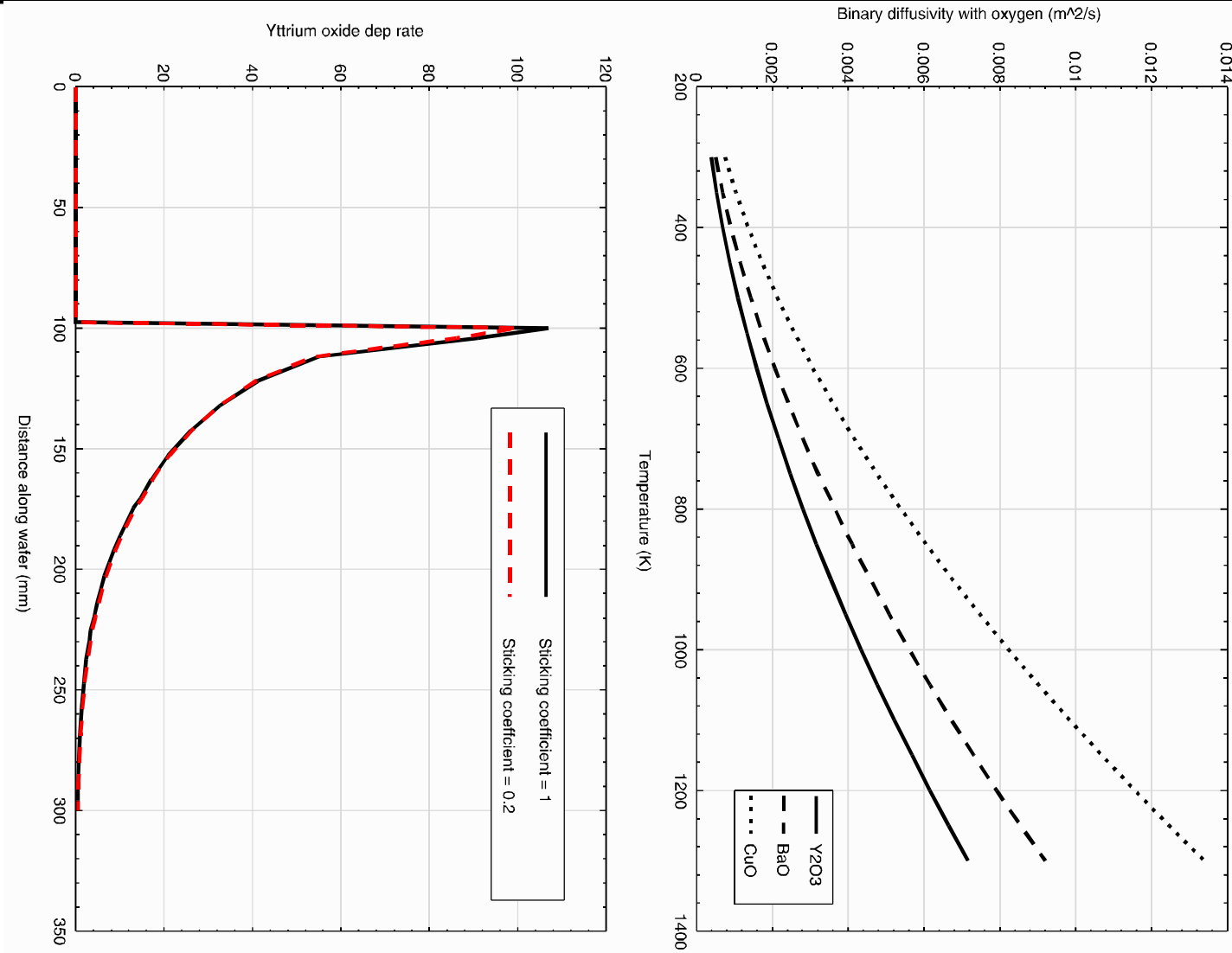
# MOCVD of YBCO Thin Films

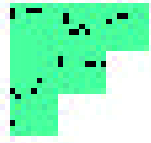


Growth occurs in a mass transport-limited regime



# MOCVD of YBCO Thin Films

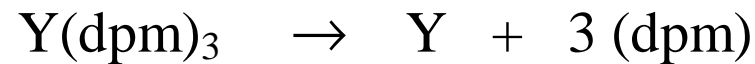


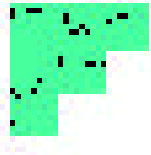


# MOCVD of YBCO Thin Films

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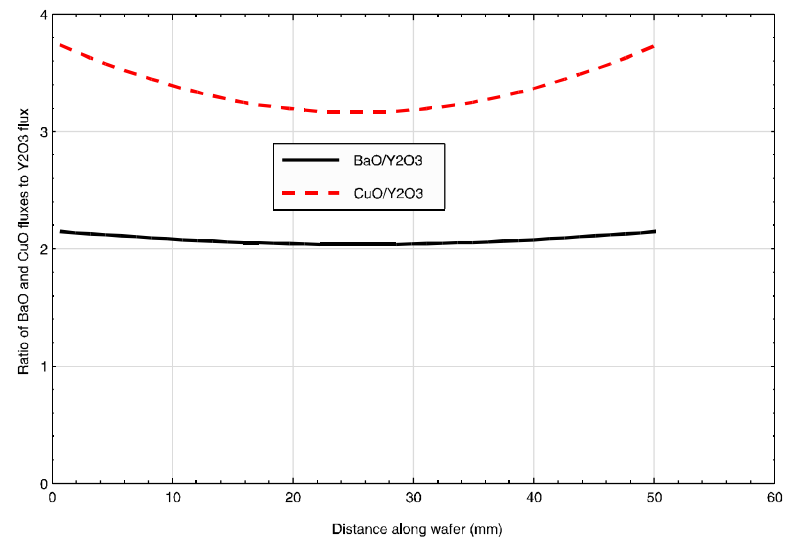
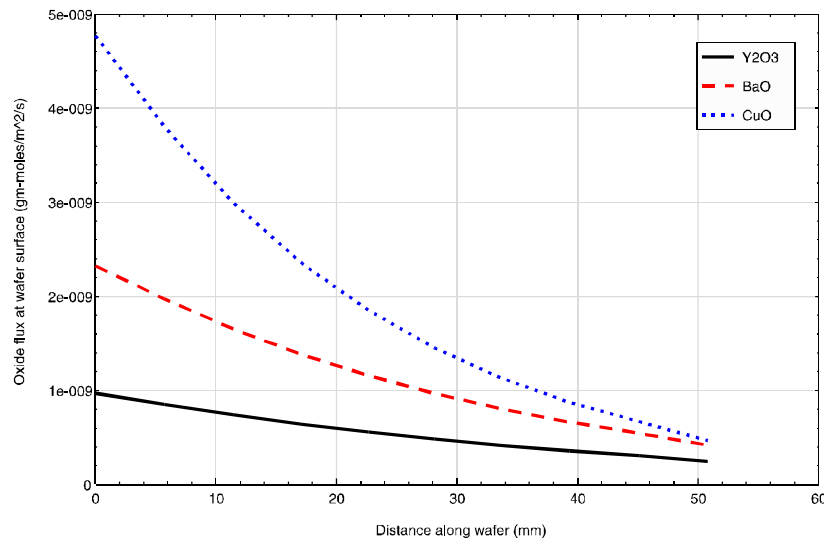
## Chemistry:

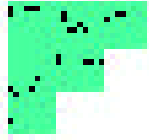




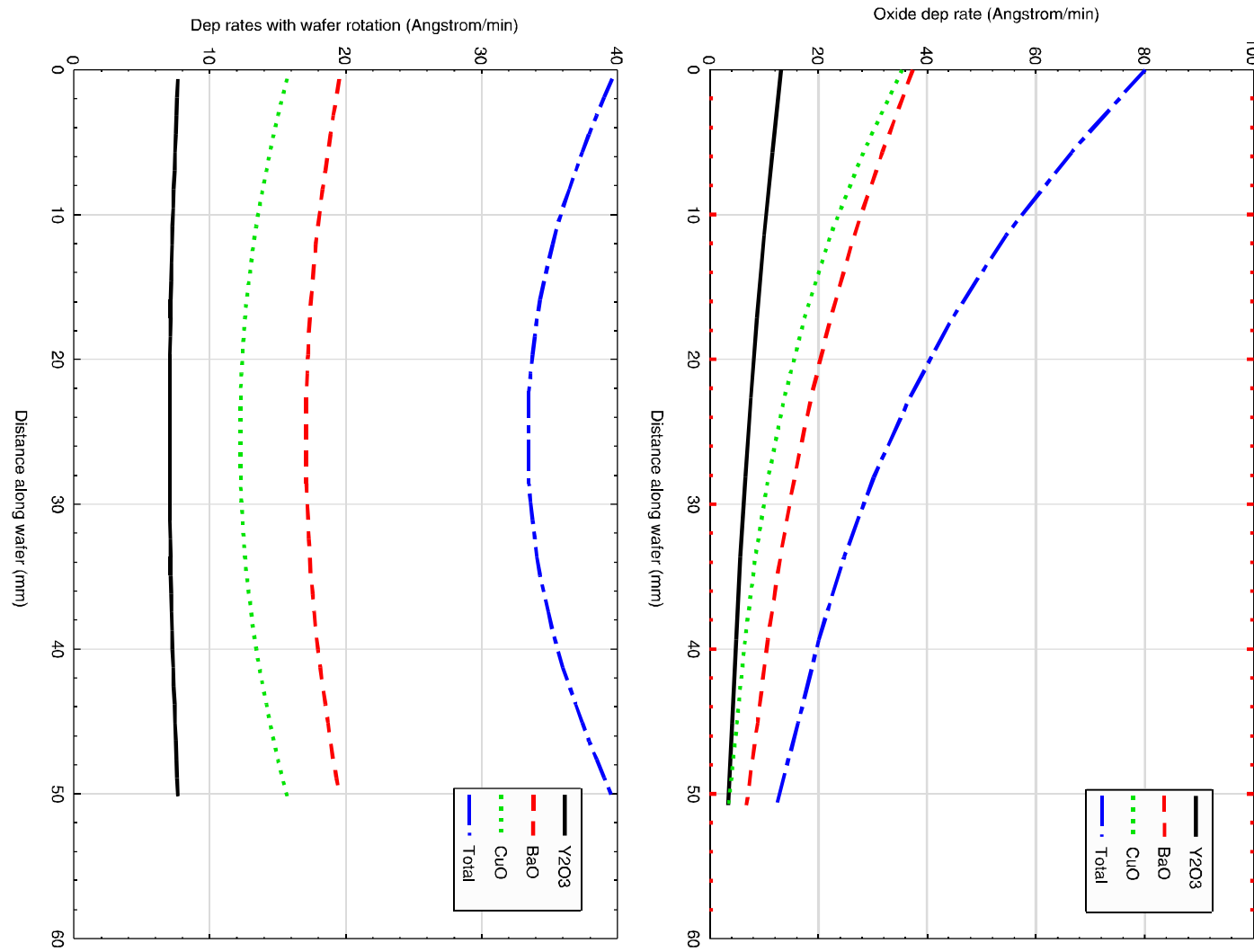
# MOCVD of YBCO Thin Films

YBCO stoichiometry varies along wafer surface.  
Precursor concentration control can be used to restrict atom ratio within specified bounds (e.g, avoiding BaO-rich deposits)

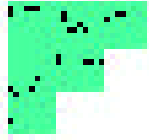




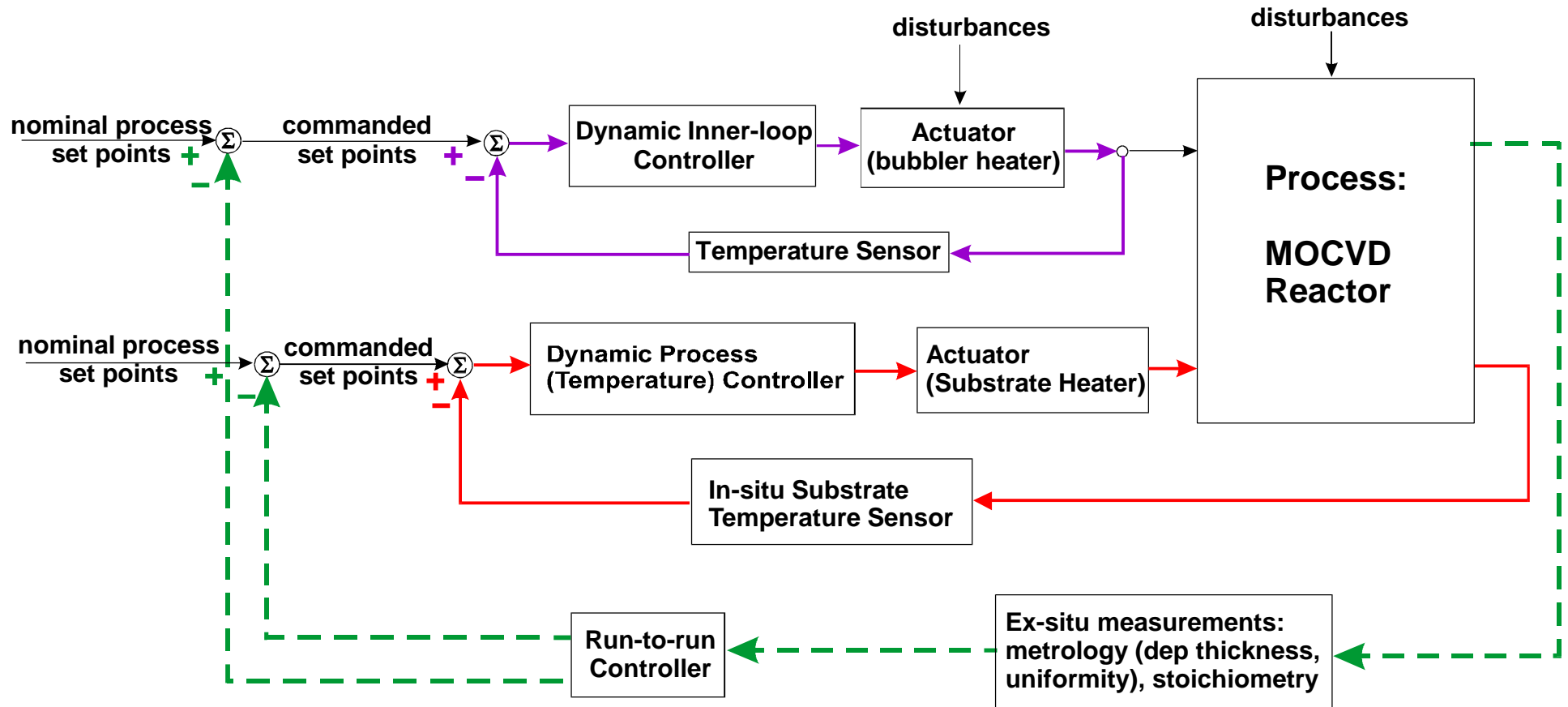
# MOCVD of YBCO Thin Films

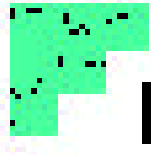






# MOCVD Control Strategy



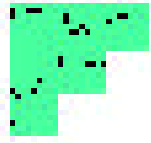


# Introduction to Run-to-Run Control

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- Manufacturing: multiple copies of same product
- Product quality determined *after* manufacturing (run)
- Product quality is influenced by *recipe variables*
- Recipe variables are *pre-set* and *fixed* during the run
- Run-to-Run control problem:

Adjust recipe for next run based on results of previous runs such that product quality improves



# Proportional Error Control

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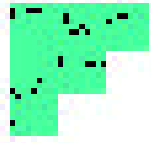
- Let  $t = 1, 2, \dots$  denote run number,  $r_t$  the vector of recipe variables during run  $t$ ,  $y_t$  the vector of product quality attributes at end of run  $t$ , and  $e_t$  the normalized product quality error with  $i$ -th element:

$$e_t(i) = \frac{y_t(i) - y_{des}(i)}{y_{tol}(i)}, \quad i = 1, \dots, n$$

- Adjust recipe according to:

$$r_t = r_{nom} + U_t,$$

$$U_t = U_{t-1} - G e_{t-1}, \quad U_0 = 0$$



# Static Linear Error System

## *Introduction*

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- Assume actual process is a *static linear error system*:

$$e_t = w_t + Gu_t, \quad t = 0, 1, 2, \dots$$

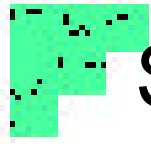
- $w_t$  is vector of product quality errors due to nominal control:

$$w_t = e_t \big|_{r_t = r_{nom}}$$

- Error and control:

$$e_t = (I_n - GG)e_{t-1} + w_t - w_{t-1}, \quad e_0 = w_0$$

$$u_t = (I_m - GG)u_{t-1} - Gw_{t-1}, \quad u_0 = 0$$



# Static Linear Error System (cont'd)

## *Introduction*

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- Note that error system is driven by *variation* in nominal error. Hence effect of biases can be eliminated, and slow drifts greatly reduced, e.g.:

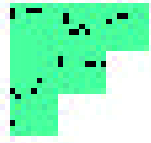
$$w_t = b + ct + v_t$$

then

$$w_t - w_{t-1} = c + v_t - v_{t-1}$$

with  $b$  denoting bias, and  $c$  denoting drift rate, and  $v_t$  a zero-mean random variable.

- However, if  $v_t$  has variance  $\sigma^2$ , then  $v_t - v_{t-1}$  has variance  $2\sigma^2$ !



# Static Linear Error System SC SOLUTIONS

## *Inverse Control*

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- Suppose  $G$  is **square** ( $n = m$ ) and **invertible**, then the stability analysis suggests the choice:

with  $\mu$  a real scalar.

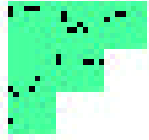
- The error and control equation are now given by:

$$e_t = (1 - \mu)e_{t-1} + w_t - w_{t-1}, \quad e_0 = w_0$$

$$u_t = (1 - \mu)u_{t-1} - \mu G^{-1}w_{t-1}, \quad u_0 = 0$$

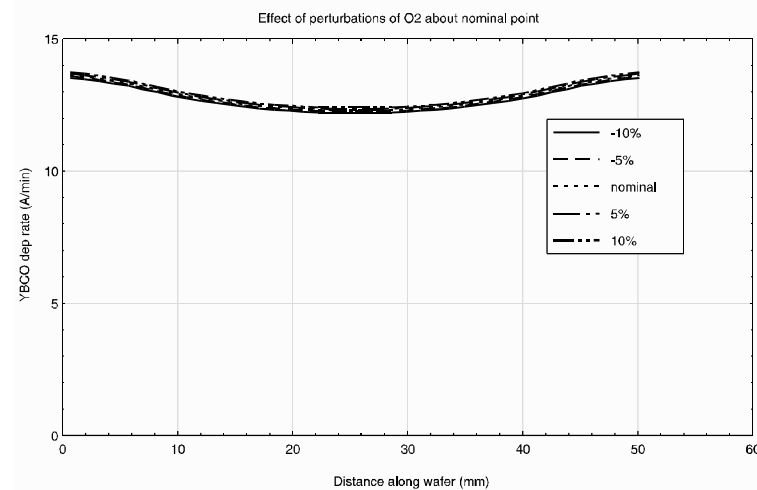
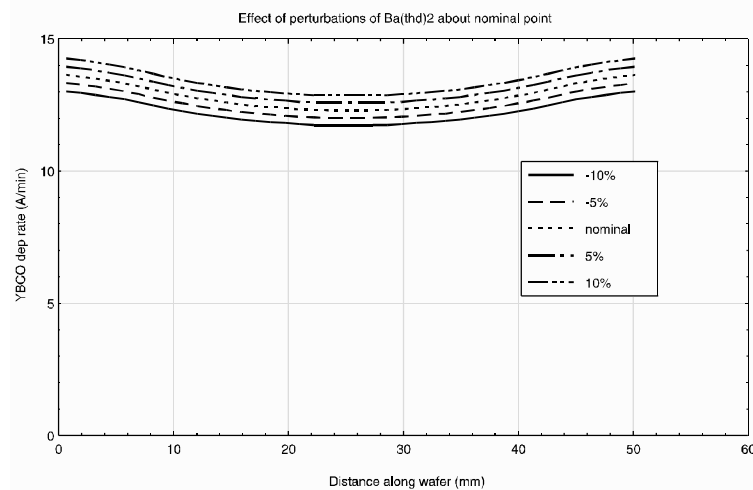
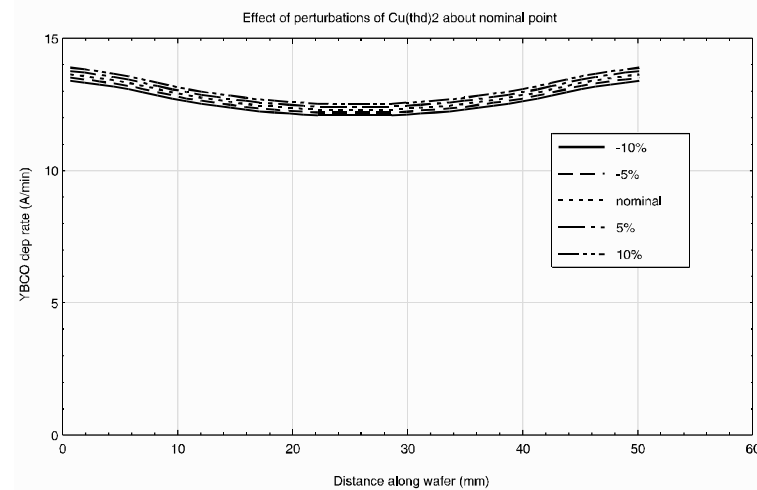
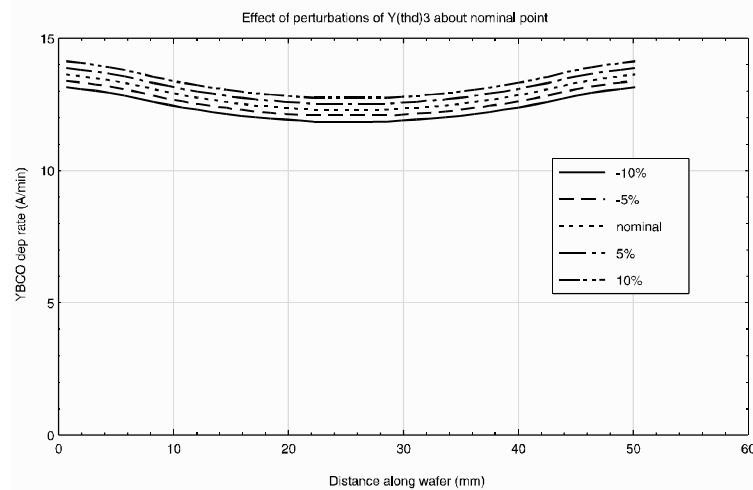
- The system is stable for:

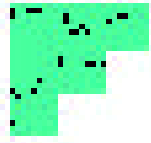
$$0 < \mu < 2.$$



# MOCVD Control

## Obtaining G from Response Surface calculations:





# Summary

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- A 2D model of MOCVD reactor has been developed for deposition of YBCO thin films.
- System characterization showed the need for control of growth rate, deposition uniformity, and oxide stoichiometry at the surface.
- A run-to-run control architecture was developed, and is currently being implemented.